

# Filtres connexes multivariés par fusion d'arbres de composantes

Edwin Carlinet, Thierry Géraud EPITA Research and Development Laboratory (LRDE), France

edwin.carlinet@lrde.epita.fr



# At a Glance

# Some great morphological structures...

# ... used for connected filtering [5]

# **Problem:**

- the morphological trees (Min-tree, Max-tree, ToS) are great structures and support connected filters (see right)
- but they are not well-defined for color images

**Common Solution:** 

- Imposing an *arbitrary* total ordering relation between colors [2, 3]
- $\rightarrow\,$  false color when reconstructing
- → ordering requires an apriori about the data (background/foreground)



Gray-level image



Max-Tree

C

|O|

DE



Min-tree

F

Ο

D

E

ToS



#### Our approach:

- Merging marginal trees based on the *inclusion* relation only
- $\rightarrow$  The level of inclusion defines the order

#### The Multivariate Component Tree that we want

#### A structure that follows the intuition:





Channels  $u_1$  and  $u_2$ 





Multivariate Min-Tree for  $u=\langle u_1,u_2
angle$ 

# More formally; a transformation that:

- is invariant to any marginal change of contrast
- is equivalent to the *regular* Component Tree for a single channel image
- preserves the maximum number of shapes (all of them, if there are not conflicting)

From a depth map to the Multivariate Component Tree

# Experiments

# • The starting point $Max-Tree \text{ of } \omega_{\mathcal{T}} \equiv \mathcal{T}$ $\underbrace{\mathsf{Max-Tree of } \omega_{\mathcal{T}} \equiv \mathcal{T}}_{u} \underbrace{\mathsf{Maxtree}}_{u} \underbrace{\mathsf{$

- Multivariate Component Tree construction process (inspired from MToS [1])
  - 1. Marginal tree construction
    2. Inclusion graph *G* of every comp
- **3.**  $\mathcal{G}$  nodes depth  $\rightarrow$  depth map  $\omega$
- 2. Inclusion graph  $\mathcal{G}$  of every component
- 4. Max-tree of  $\omega$





Original image



*depth* map







# Marginal openings leading to *false colors*, *fake flat-zones*, and blurry boundaries.



• Tree filtering and reconstruction [4]

When a node is removed, the pixels are affected with the nearest color from the node boundary.

#### Selected bibliography

- E. Carlinet and T. Géraud, "MToS: A tree of shapes for multivariate images" In IEEE Transactions on Image Processing, vol. 24, num. 12, pp. 5330–5342, 2015.
- B. Perret, S. Lefèvre, C. Collet, and E. Slezak, "Connected component trees for multivariate image processing and applications in astronomy." In Proc. of the Intl. Conf. on Pattern Recognition (ICPR), pp. 4089–4092, Aug. 2010.
- B. Naegel and N. Passat, "Component-trees and multi-value images: A comparative study." In Proc. of ISMM, vol. 5720 of LNCS, po. 261–271. Springer, 2009.
- ] F. Tushabe and M. Wilkinson, "Color processing using max-trees: A comparison on image compression." In Proceedings of the International Conference on Systems and Informatics (ICSAI), pp. 1374–1380, 2012.
- L. Vincent., "Morphological area openings and closings for grey-scale images." In Shape in Picture: Mathematical Description of Shape in Grey-level Images, pp. 197–208. Springer, 1994.

Openings with the Multivariate Max-Tree combining the strength of vectorial approaches and the perceptual quality of a marginal filtering.